

# Module Introduction

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# So what is this about?

Understand the **theoretical foundations** of Computer Science, and from this an appreciation of the **limitations of computation** and the important questions that remain open to this day.

The module covers:

- 1 Formal specification of languages.
- 2 The main models of computation.
- 3 What these models tell us about issues of “computability” and “complexity”.

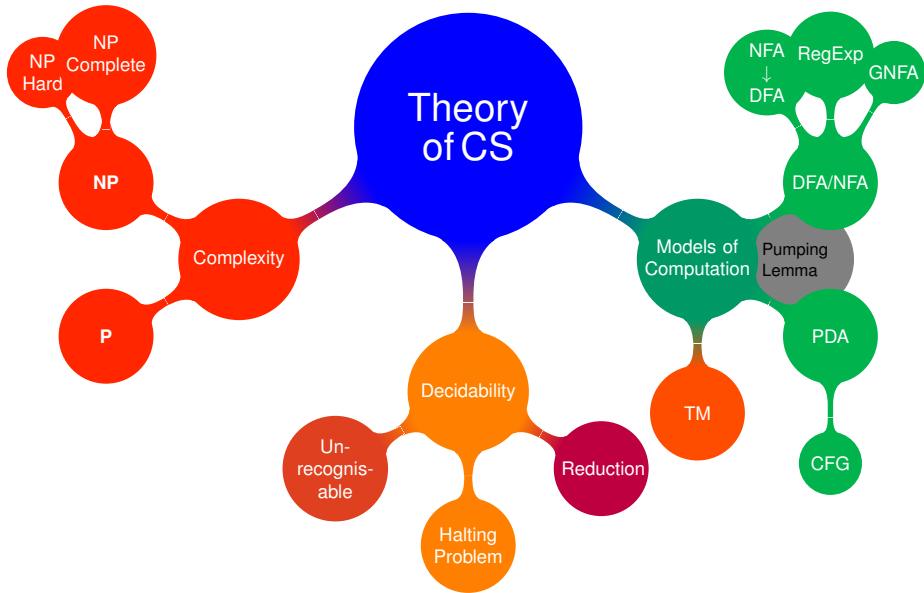
It's fun, cool, intellectually challenging, insightful, ...

... it is! :-)

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- 1 What is a “**problem**”? What is “**computation**”? What is an “**algorithm**”?
- 2 How “hard” is a problem? Can we “compute/solve” anything? If not then what are the limits?
- 3 Symbolic notation. For example:
  - $\{w \in \{0, 1\}^* \mid w \text{ has equal number of 0s and 1s}\}$
  - $0^*1^*, a^n b^n, a^i b^j c^k$
  - $L$  recognized by a given automaton
- 4 Models of computation.
  - Deterministic/Non-Deterministic Finite Automata (DFA/NFA)
  - Push Down Automata (PDA)
  - Turing Machines (TM).
  - Regular expressions (Regex).
  - Context-free grammars (CFG).
  - Grammars.
- 5 Classes: Regular, context-free, decidable, undecidable, recognisable, and un-recognisable!
- 6 Complexity.
  - Complexity classes: **P**, **NP**, **NP-complete**, **NP-hard**, **L**, **NL**, etc.
  - **Algorithms** to solve or **approximation/meta-heuristics** to try.

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- **Mathematical background (Review):** Sets, functions, relations, propositional logic, and predicate calculus.
- **Formal Languages:** Regular languages and expressions; Context-free grammars. Applications to solve practical problems.
- **Models of Computation:** Finite State Automata (Deterministic and Non-deterministic); Push-down Automata; Turing machines. The relationships between models and classes of languages. The limits of models (Pumping Lemma). Practical use via a simulation package such as JFLAP.
- **Computability:** The Church-Turing Thesis, Reduction, Undecidability, and Unrecognisability.
- **Complexity:** Review of O-notation. The P versus NP question, NP-completeness, Polynomial time verification, Polynomial time reduction. Search problems and NP-hardness. Overview of further complexity classes (e.g. PSPACE, EXPTIME). Greedy search and meta-heuristics.

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## ■ Pen and paper!

Supporting tools: JFLAP, Programming (Python).

## ■ Module Delivery

- Lectures: Wednesdays 11am-1pm.
- Practical labs: Thursdays 9-11am. (Feedback)

Lecture	12×2 hours	12%
Laboratory	12×2 hours	12%
Self guided	152 hours	76%
Total	200 hours	100%



## ■ Assessments

- Formative (Feedback).
- Summative (Test and Exam).

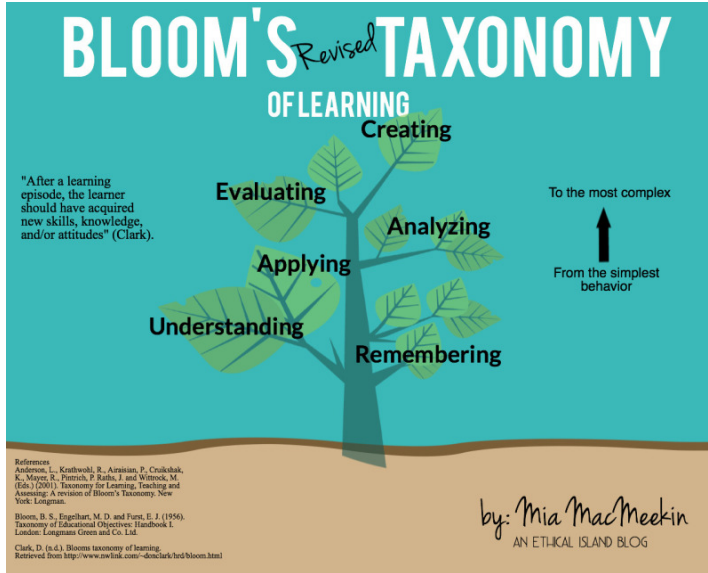
## Essential Reading

-  Sipser, M. (2013). **Introduction to the theory of computation** (3rd international ed.). Cengage Learning.

## Recommended Reading

-  Garey, S. and Johnson, D. (1979) **Computers and Intractability: A Guide to the Theory of NP-Completeness**. Freeman
-  Dean, N. (1996) **The Essence of Discrete Mathematics**. Prentice Hall

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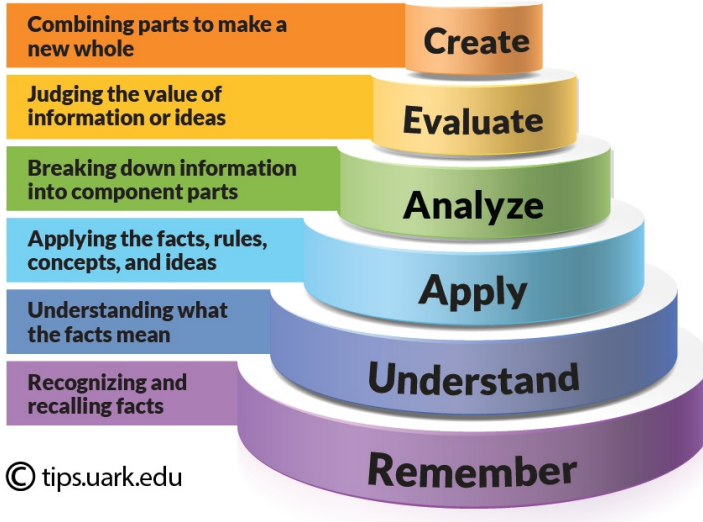
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